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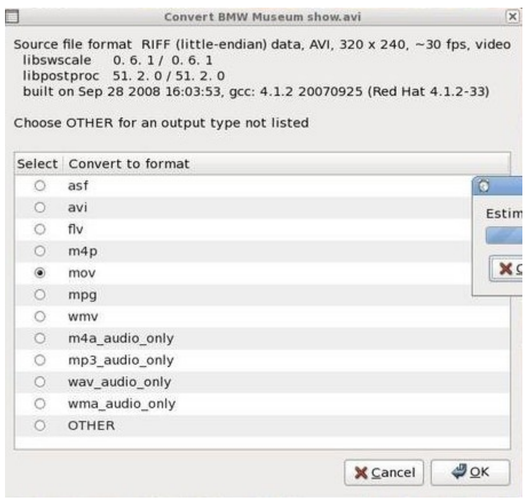

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When I was doing research on this system, I came across this music player, the 2B, which retails for about $50. The 2B does not have a power pack and seems like a good companion device to the Music Box. It doesn't have any buttons on it other than a USB.Q: Is there an efficient algorithm for solving $a^k - b^k = c$? I need to solve the following equation: $a^k - b^k = c$ for some positive integers k, a, b and c Is there any efficient algorithm for solving this equation? A: This question is interesting, because for large k it does not seem like there is a generally useful answer to it. For $a \approx b$ and $c \approx 0$ the answer is $k \approx \log(a/b)$ For $a,b \approx \sqrt{c}$ the answer is $k \approx \log(a/b)$ For $a,b \approx c$ the answer is $k \approx \log(a/b) + \log(b/a)$ For large values of k the first two families have the same answer, and so it's not clear if we can say much about a general case. For instance, if $a = b = \sqrt{c}$ then the question becomes: $$ a^{k+1} - a^k = a^k - a^{k-1} = c If k is big, then $a^{k+1} - a^k \approx c$, but $a^k - a^{k-1} = c$ is a lot more complicated, and doesn't appear to have a neat solution. The best solution is likely to be a clever approximation algorithm. For example, one could try to minimize $a^k - a^{k-1}$ by rearranging the sequence of terms to start with a^k, then subtracting off a^{k-1} on the way. However, it is not clear if this will be optimal. Who will be the next great white hope? Share on social media If you had to write 82157476af